

# Improvements in wind resource assessment for the Québec market

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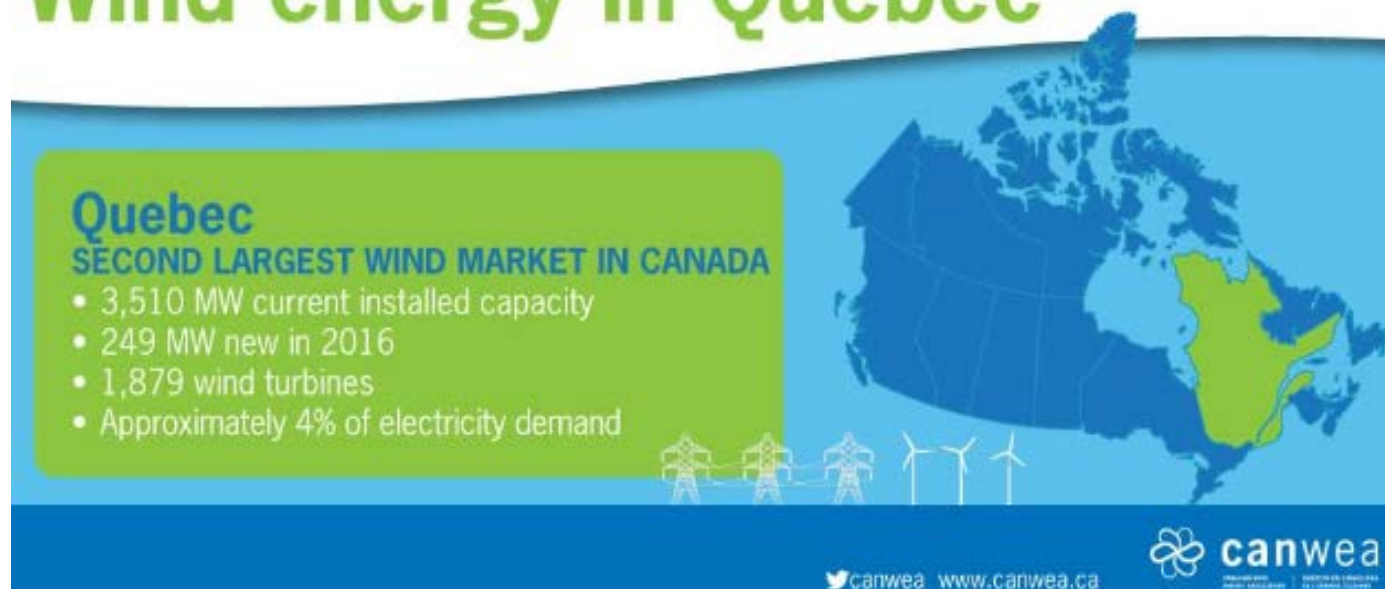


# Wind energy installed capacity (Canada and Québec)



- Canada 8<sup>th</sup> in the world
- Vision to install 500 MW per year (2018-2025)

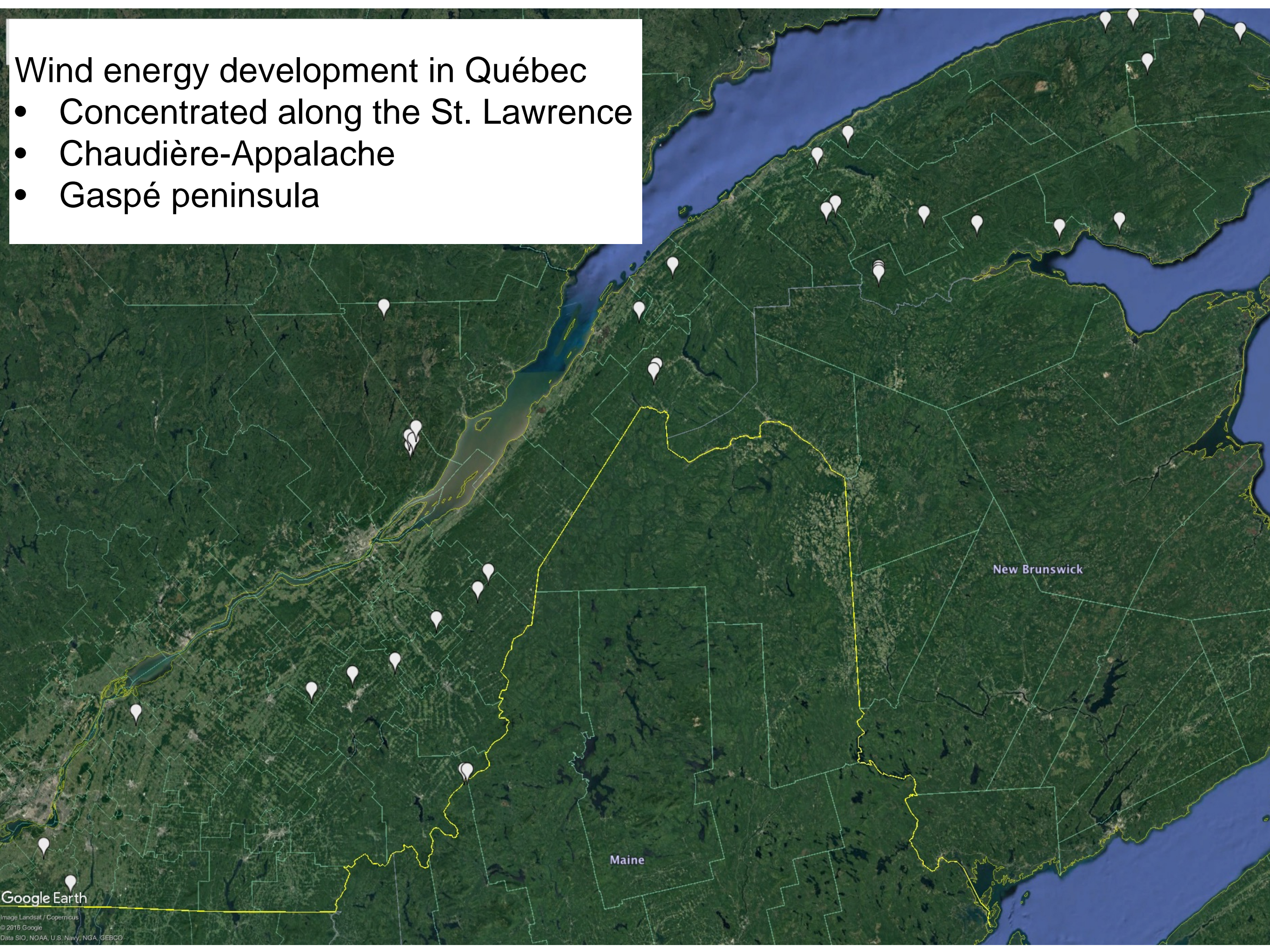
## Wind energy in Quebec





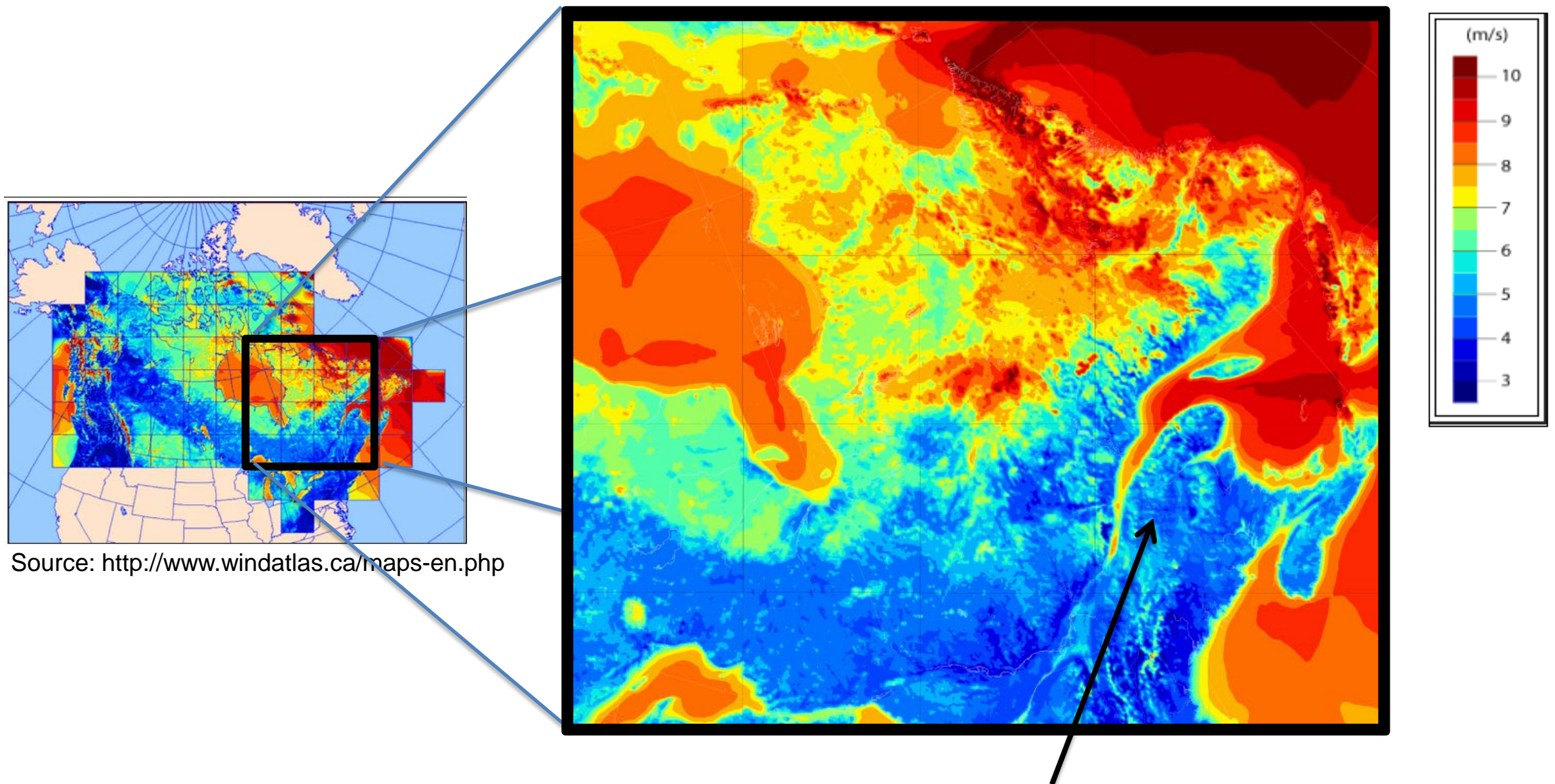
## Wind energy development in Québec

- Concentrated along the St. Lawrence
- Chaudière-Appalache
- Gaspé peninsula





# The wind resource in Québec

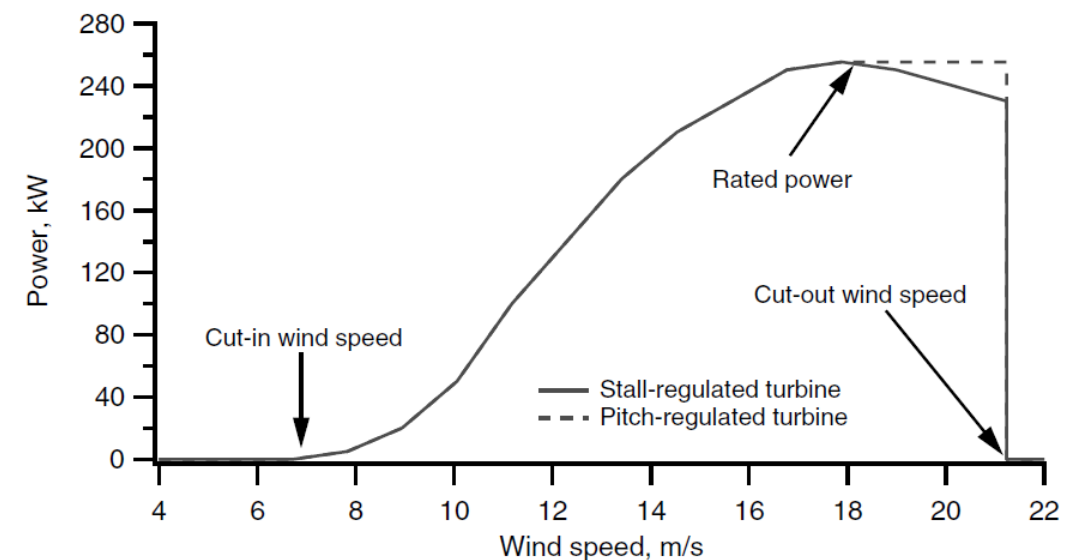


# Wind farm planning and production forecasting

The power generation cannot be exactly forecasted due to the intermittent nature of the wind<sup>1</sup>.

The forecasting of energy yield is obtained by integrating two terms:

1. the turbine power curve
2. the wind resource<sup>2</sup>



<sup>1</sup> Lange, M. & Focken, U. (2006). Physical approach to short-term wind power prediction.

<sup>2</sup> Ayotte, K. W. (2008). Computational modelling for wind energy assessment. Journal of wind engineering and industrial aerodynamics, 96(10), 1571–1590.

# Wind resource assessment

Commonly, campaign of ~1 year wind measurements extracted from a few anemometers.

To have the wind map of the whole site requires **the spatial extrapolation of a non-linear field**.

- A combination of microscale modelling and statistical tools is often the most reliable method
- However, the process is far from exact

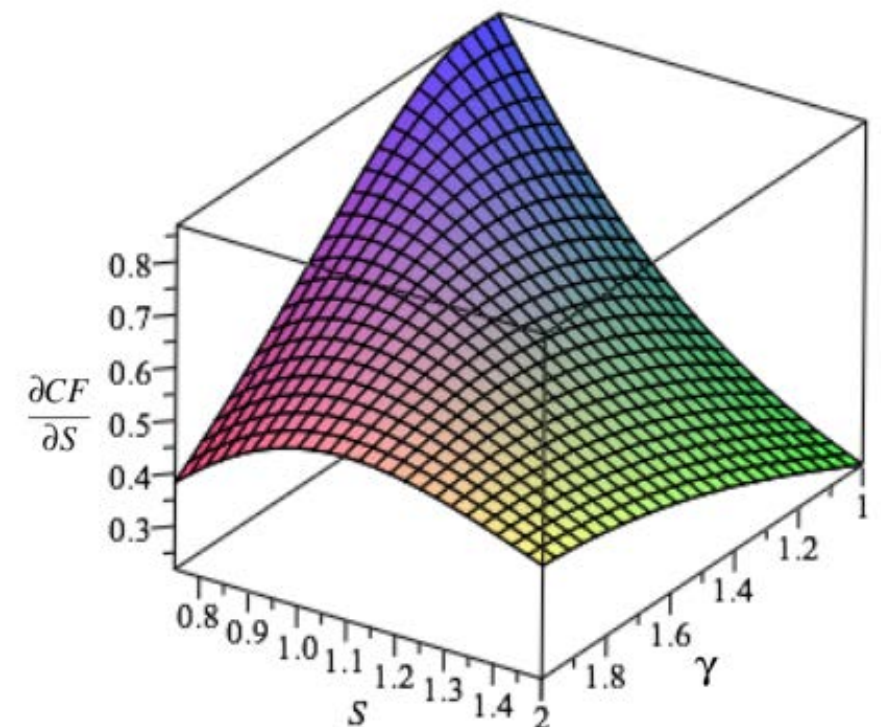
# The effect of uncertainty

To attract investment in the wind energy sector, financial risk needs to be minimized.

There is a direct link between prediction accuracy and financial risk. **Uncertainty in energy prediction can be decreased with better modelling.**

The Quebec context is *unique*:

- Uncertainty is inversely proportional to wind speed (model accuracy more important for low wind speed sites)
- But complex terrain (with forest) is hardest to accurately model!





# The promise of computational fluid dynamics

Model	Linearized (WAsP, MS-Micro, <i>etc</i> )	RANS	LES
Assumption to resolve convection	Linearized flow model	<b>Time-averaged flow and mean flow turbulence properties</b>	Mean flow plus large eddies
Maturity for wind energy purposes	Routinely used	<b>Sometimes used</b>	Rarely used
Computational resources	Economical	<b>Modest</b>	Very costly
Reliability	Good results for simple to moderately complex terrain	<b>More appropriate for very complex sites but treatment of turbulence limits accuracy</b>	Many fewer theoretical limitations, but difficult to realize



# Biggest challenges

## Terrain

- Especially sharp features that may cause flow separation/recirculation

## Forest cover

- Acts as a momentum sink and source of turbulence

## Thermal effects

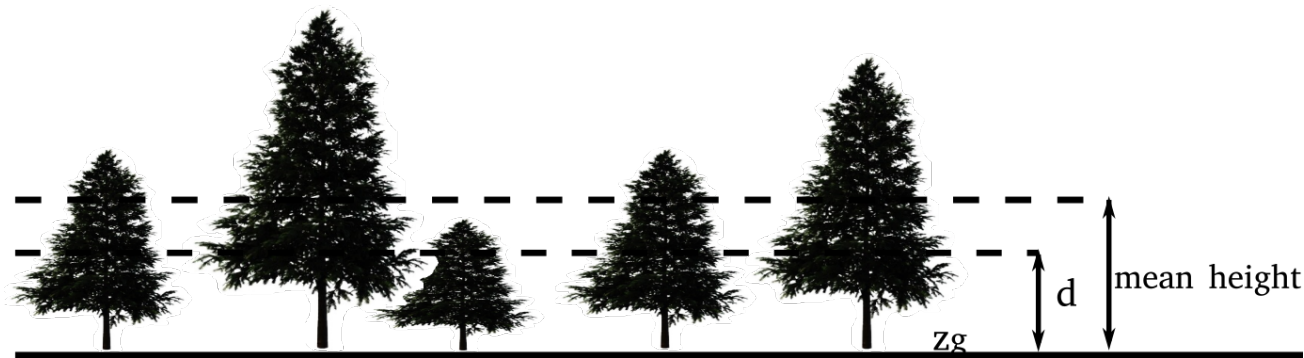
- Increases/decreases turbulence depending on stratification

# Forest modelling

## Displacement height (DH) model

Assumption of a solid volume of leaves, therefore a logarithmic wind speed profile will start at its edge<sup>5</sup>.

Promising results<sup>6,7</sup> but does not consider the aerodynamic drag due to the particular foliage.



<sup>5</sup> Stull, R. B. (1988). An Introduction to Boundary Layer Meteorology.

<sup>6</sup> Raupach, M. R. (1994). Simplified expressions for vegetation roughness length and zero-plane displacement as functions of canopy height and area index. Boundary-layer meteorology, 71(1-2), 211–216.

<sup>7</sup> Verhoef, A., McNaughton, K. G. & Jacobs, A. F. G. (1997). A parameterization of momentum roughness length and displacement height for a wide range of canopy densities. Hydrology and earth system sciences, 1(1), 81–91.

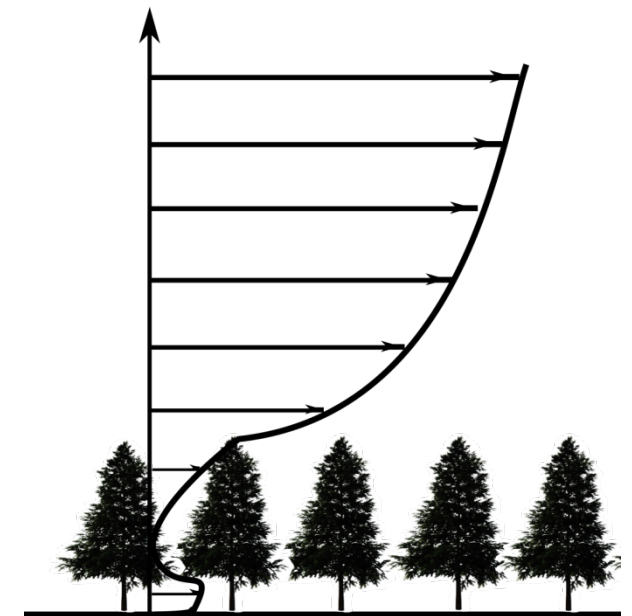


# Forest modelling

## Canopy model

It aims to represent the drag effect of the forest per unit volume in the governing equations (as source terms)

Originally developed by Svensson<sup>8</sup>, it has been implemented in several computational codes<sup>9</sup>. Important research subject at ETS under direction of Prof. Christian Masson<sup>10,11,12,13</sup>.



<sup>8</sup> Svensson, U. & Haggkvist, K. (1990). Two-equation turbulence model for canopy flows. Journal of wind engineering and industrial aerodynamics, 35(1), 201–211.

<sup>9</sup> Lopes da Costa, J. C., Castro, F. a., Palma, J. M. L. M. & Stuart, P. (2006). Computer simulation of atmospheric flows over real forests for wind energy resource evaluation.

<sup>10</sup> Dalpé, B. & Masson, C. (2008). Numerical study of fully developed turbulent flow within and above a dense forest. Wind energy, 11(5), 503–515.

<sup>11</sup> Dalpé, B. & Masson, C. (2009). Numerical simulation of wind flow near a forest edge . Wind Engineering & Industrial Aerodynamics 97(5), pp.228-241.

<sup>12</sup> Jeannotte, Eric (2013). Estimation of lidar bias over complex terrain using numerical tools. M.Ing thesis, École de Technologie Supérieure.

<sup>13</sup> Ben Younes, Hajer (2016). Simulation de la couche limite atmosphérique sur un couvert forestier en terrain avec orographie. PhD thesis, École de Technologie Supérieure.

# Mathematical model

Steady incompressible RANS eqns at large  $Re$

Conservation of mass

$$\frac{\partial U_j}{\partial x_j} = 0$$

Conservation of momentum

$$\frac{\partial(U_i U_j)}{\partial x_j} = -\frac{1}{\rho} \frac{\partial p}{\partial x_i} + \nu \frac{\partial^2 U_i}{\partial x_j \partial x_j} - \frac{\partial \overline{u'_i u'_j}}{\partial x_j} + S_{U_i}$$

Transport of turbulent kinetic energy

$$\frac{\partial(k U_i)}{\partial x_i} = \frac{\partial}{\partial x_i} \left[ \left( \nu + \frac{\nu_t}{\sigma_k} \right) \frac{\partial k}{\partial x_j} \right] + G_k - \epsilon + S_k$$

Transport of turbulent dissipation rate

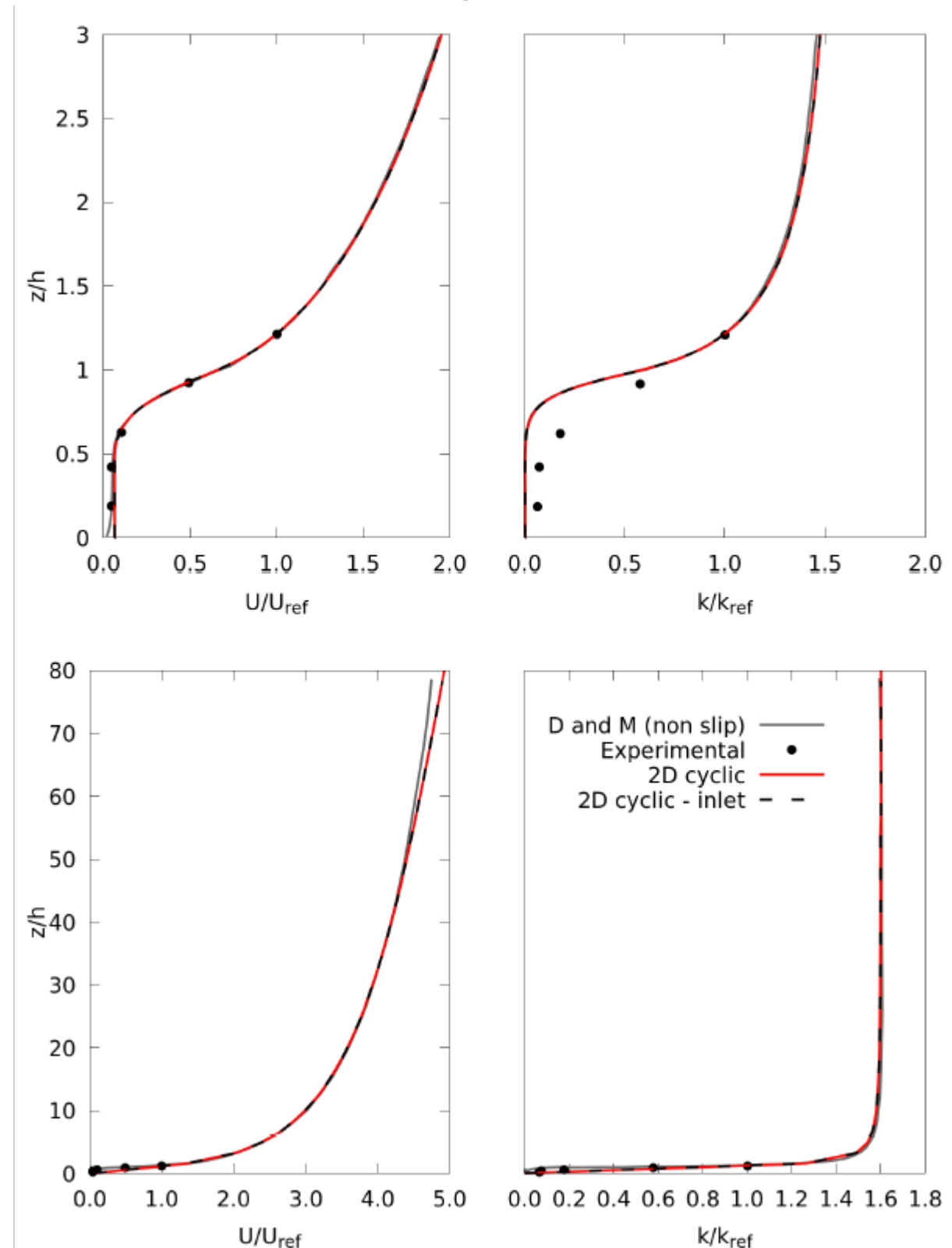
$$\frac{\partial(\epsilon U_i)}{\partial x_i} = \frac{\partial}{\partial x_i} \left[ \left( \nu + \frac{\nu_t}{\sigma_\epsilon} \right) \frac{\partial \epsilon}{\partial x_j} \right] + C_{\epsilon 1} \frac{\epsilon}{k} G_k - C_{\epsilon 2} \frac{\epsilon^2}{k} + S_\epsilon$$



# Validation of canopy model

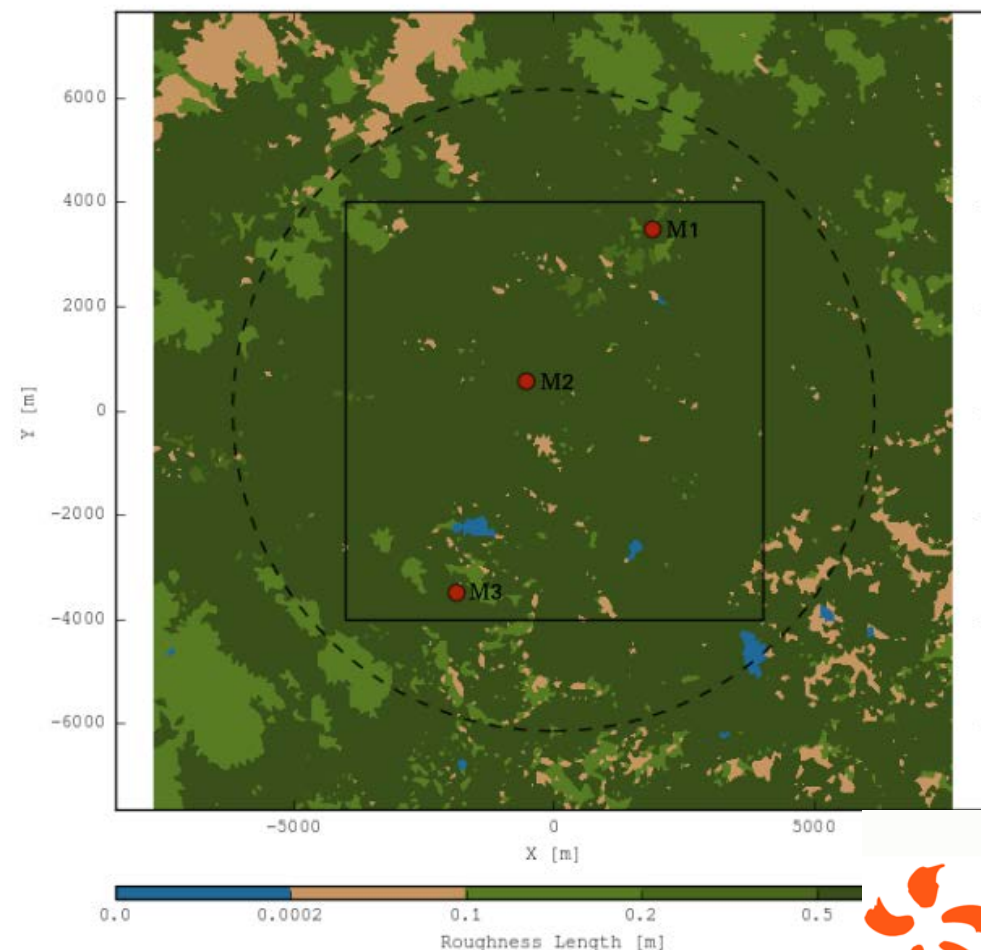
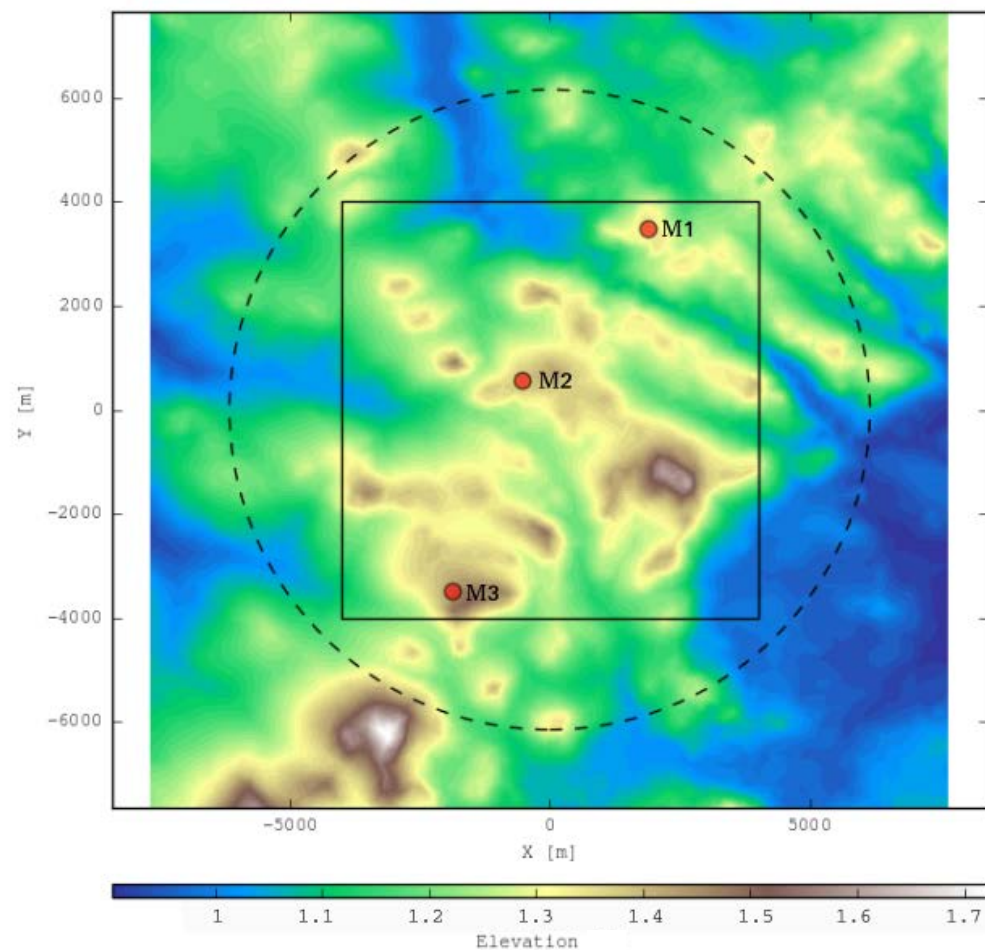
Black spruce modelling

Good results in comparison with work of Dalpé and Masson<sup>10</sup>.



# Real case

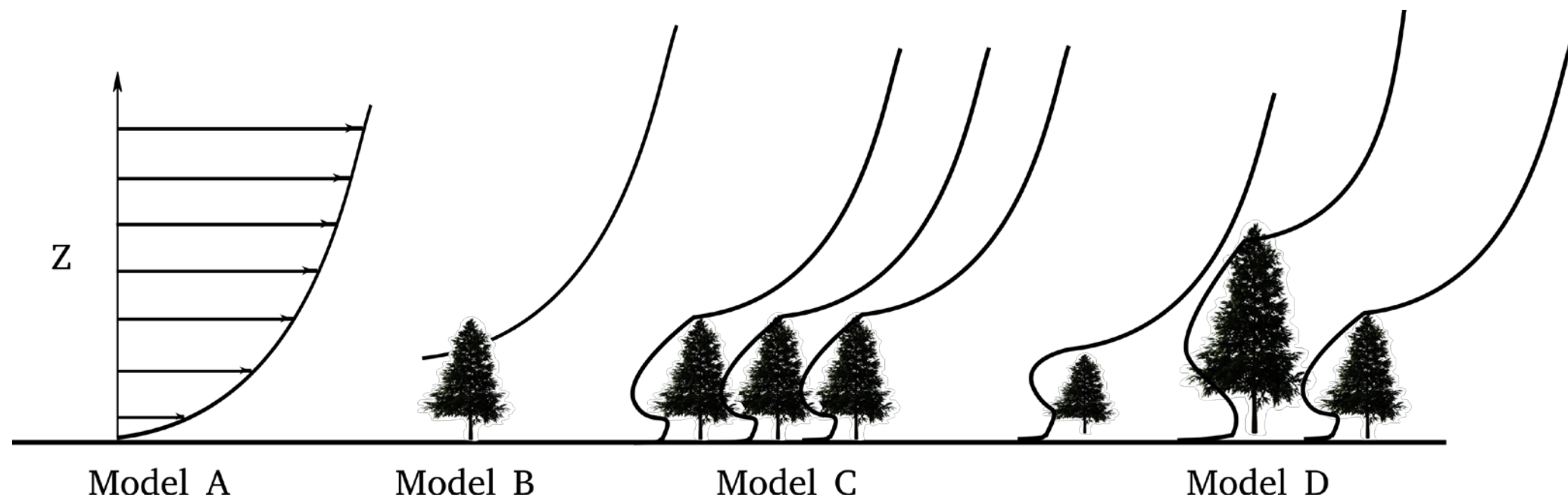
Two years of wind measurements at a potential wind farm in Québec were carried out by **EDF-EN** and were used for validation purposes.





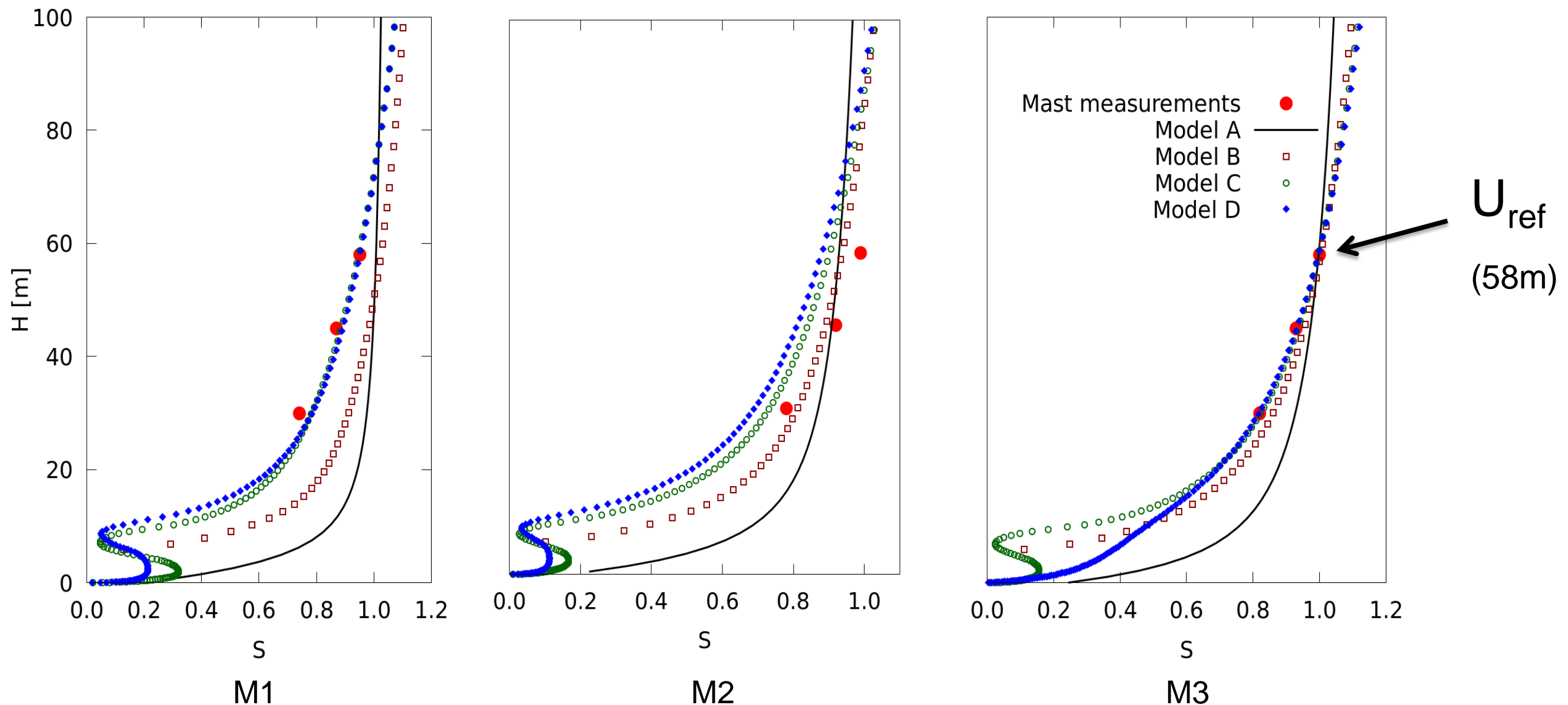
# Real case

Case	Model	Turbulence closure	Logarithmic wind profile trough
A	Terrain only	Standard	No obstacles
B	Displacement height (DH)		No obstacles and terrain elevation
C	Canopy	Modified	Uniform forest distribution
D			Real forest map distribution



# RANS results for forest model

Speed-up factor  $s = \frac{U}{U_{ref}}$





# The influence of temperature

- Thermal effects also play a role in wind resource assessment as they directly affect turbulence production
- A stable atmosphere will dampen turbulent eddies and reduce momentum exchange -> High wind shear, low TI
- An unstable atmosphere will enhance turbulence eddies and increase momentum exchange -> Low wind shear, high TI
- Particularly true for offshore sites

# Mathematical model

Steady incompressible RANS eqns at large  $Re$

Conservation of mass

$$\nabla \cdot \mathbf{U} = 0$$

Conservation of momentum

$$\mathbf{U} \cdot \nabla U_i = -\frac{\partial p}{\partial x_i} + \nabla \tau - \alpha \Delta \Theta \mathbf{g}$$

Transport equation for potential temperature

$$\mathbf{U} \cdot \nabla \Theta = \nabla \cdot (\Gamma_T \nabla \Theta)$$

Transport of turbulent kinetic energy

$$\nabla \cdot k \mathbf{U} = \nabla \cdot \left( \frac{\nu_T}{\sigma_k} \nabla k \right) + \Pi_k - \varepsilon$$

Transport of turbulent dissipation rate

$$\nabla \cdot \varepsilon \mathbf{U} = \nabla \cdot \left( \frac{\nu_T}{\sigma_\varepsilon} \nabla \varepsilon \right) + P_\varepsilon - C_{\varepsilon 2} \frac{\varepsilon^2}{k}$$



# Governing equations

Source term adjustment in dissipation equation

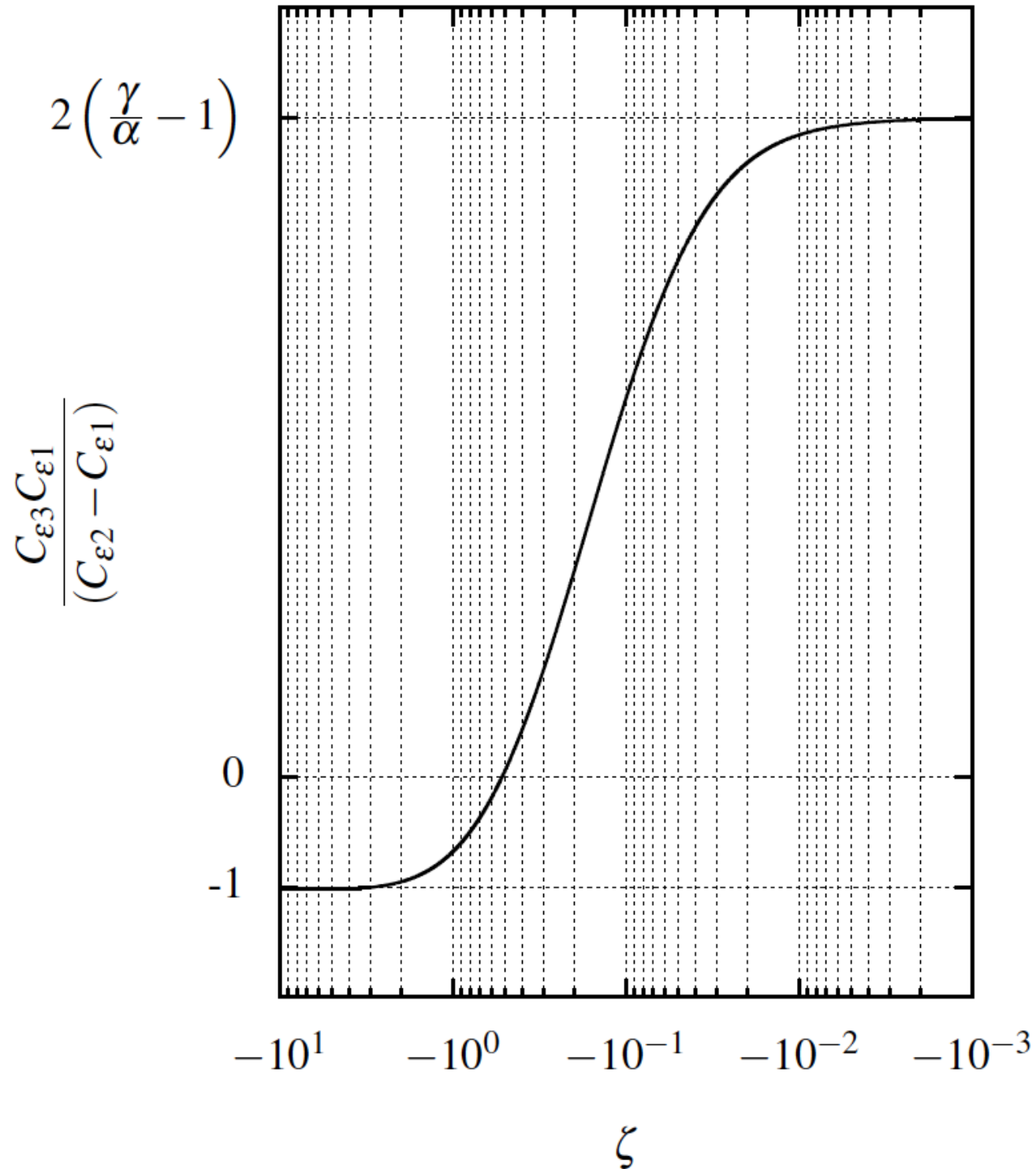
$$P_{\varepsilon} = C_{\varepsilon 1} \left( 1 + C_{\varepsilon 3} R'_f \right) \frac{\Pi_k \varepsilon}{k}$$

- Many authors have proposed corrections to the production term to account for stability effects
- We seek a closure which exactly agrees with similarity theory, e.g.

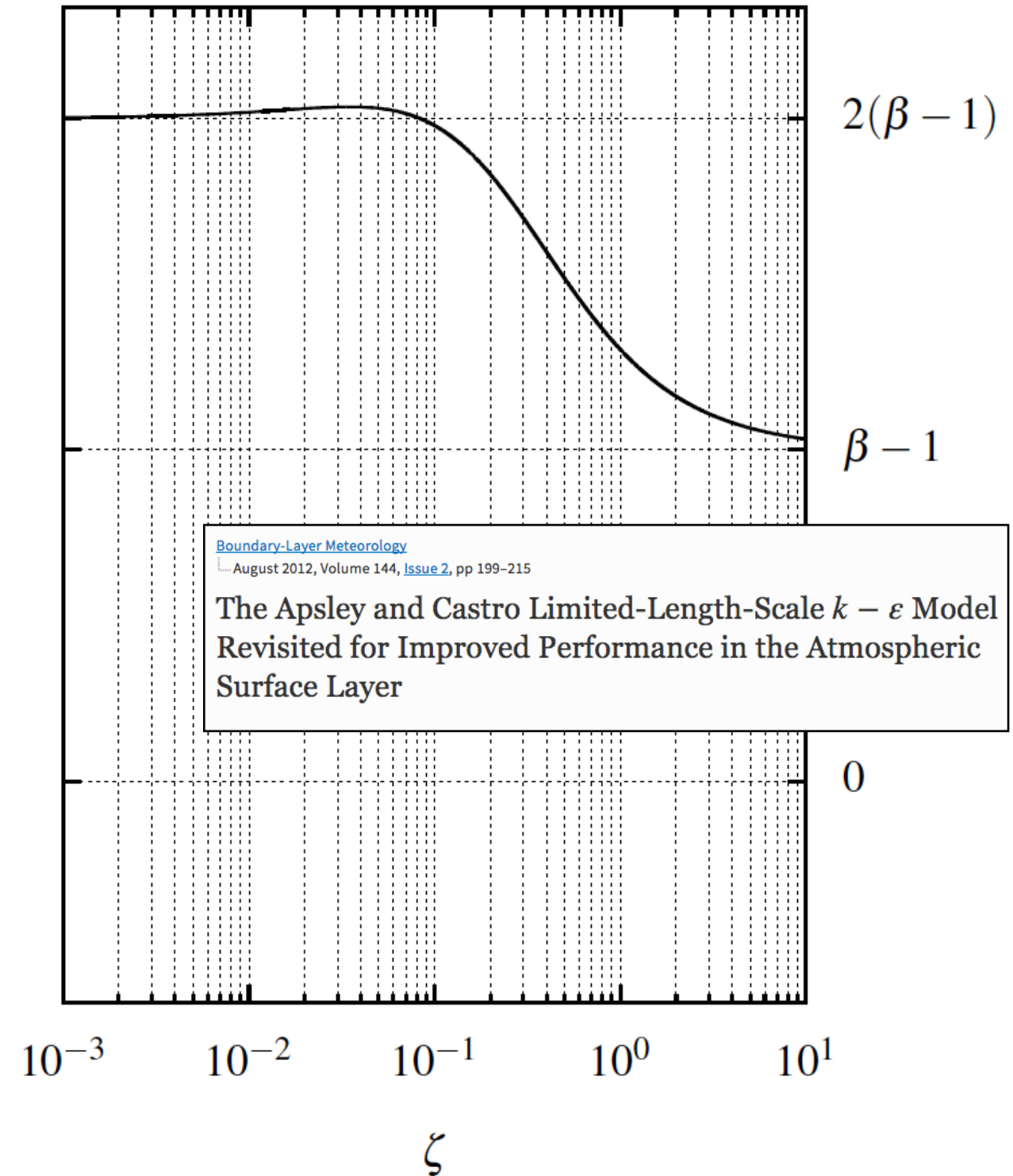
$$U(z) = \frac{u^*}{\kappa} \left[ \ln \left( \frac{z}{z_0} \right) - \Psi_M(\alpha, \beta, \gamma, L, z) \right]$$

# Analytical solution

Unstable conditions

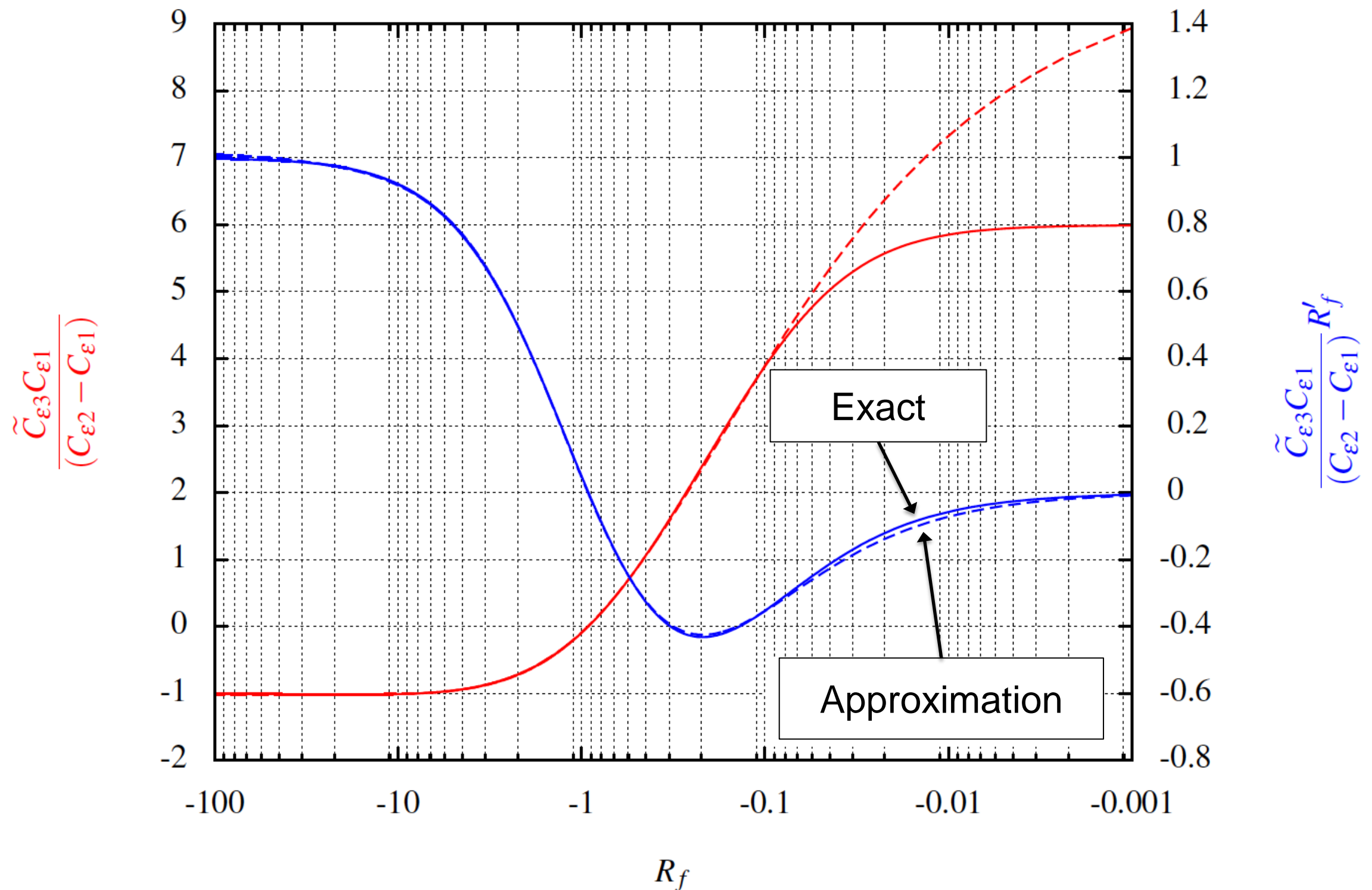


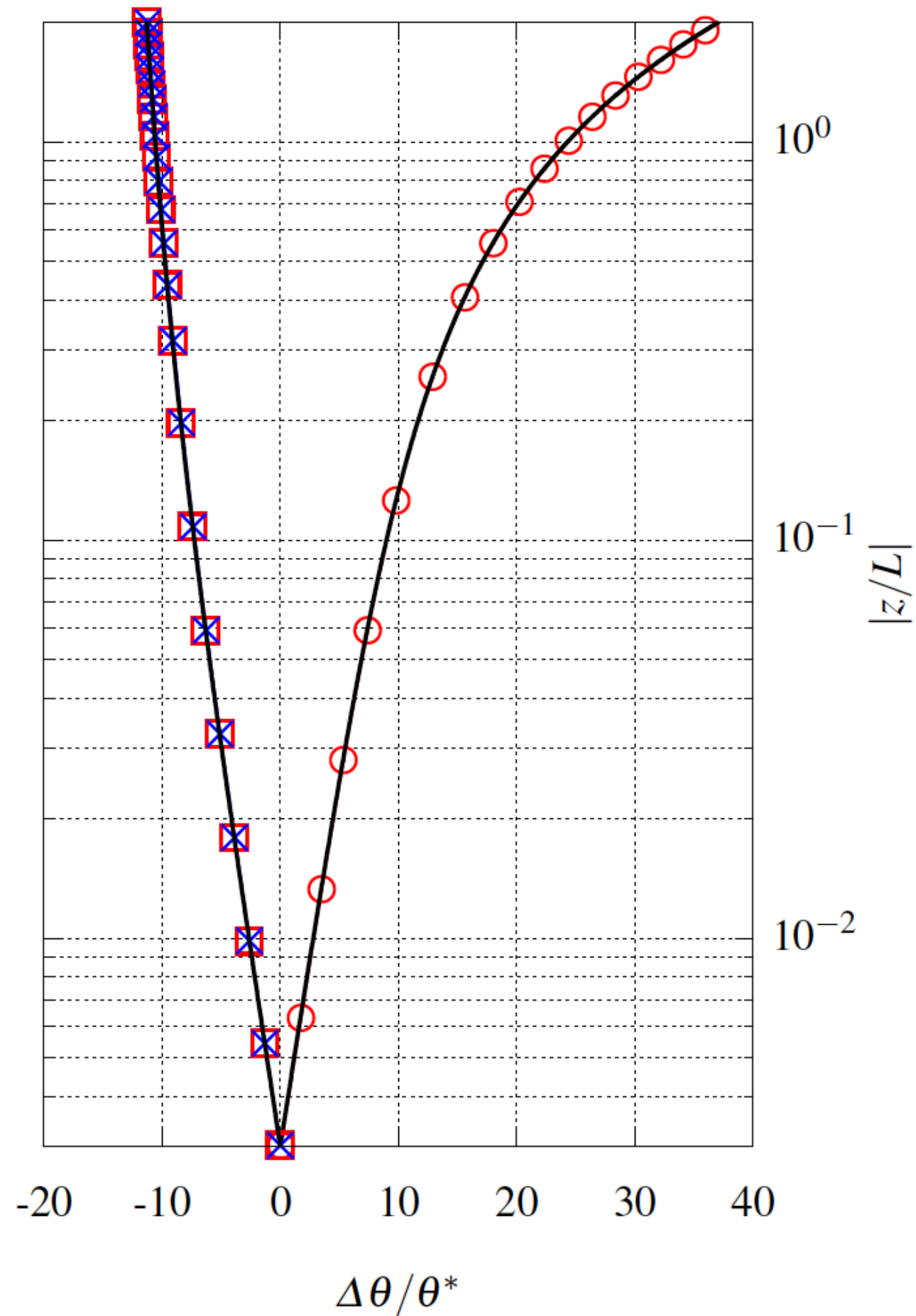
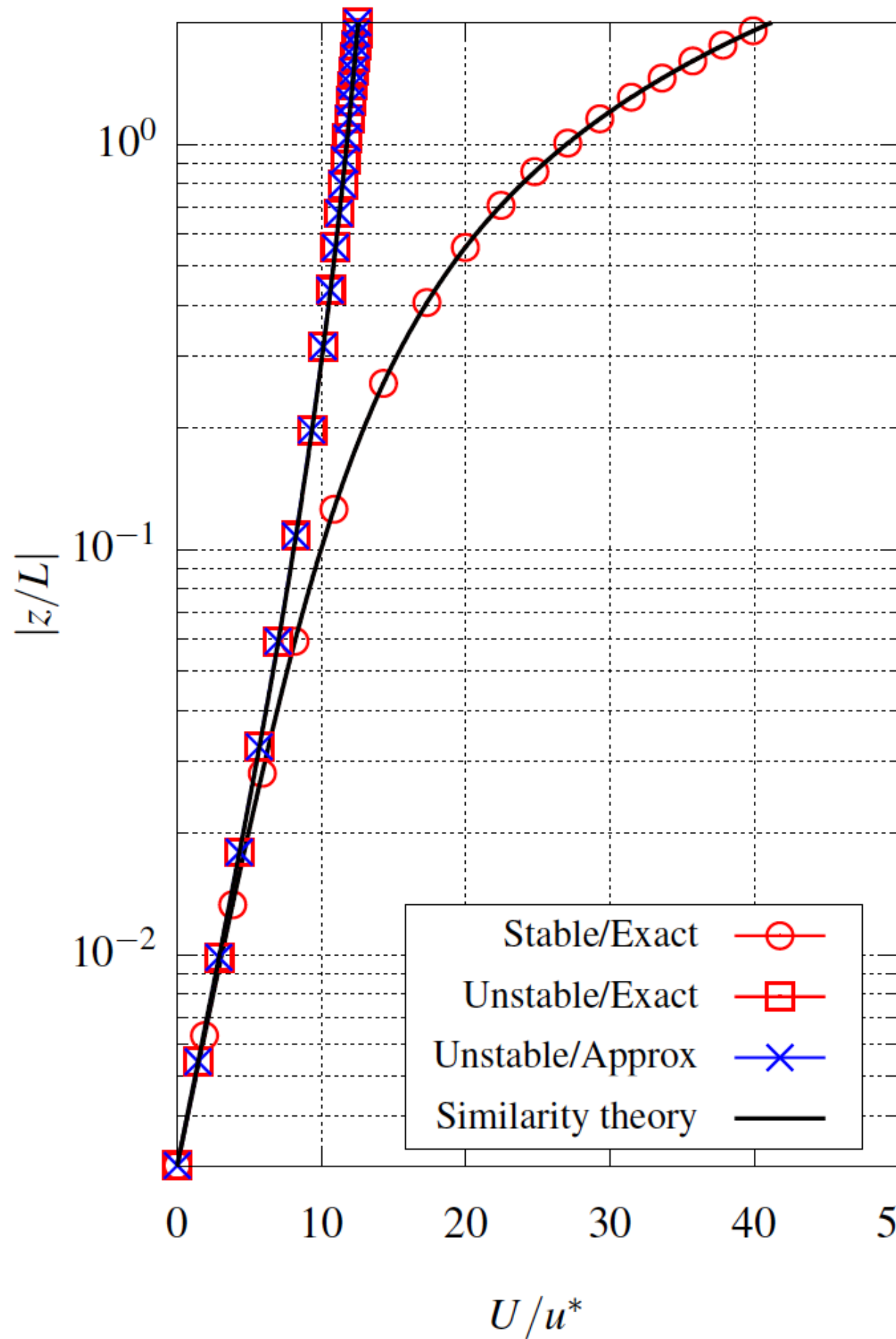
Stable conditions





# Local approximation







# Ongoing research

What about the combined effects of complex topography + forested regions + thermal stratification?

- This is a very active area of research

New collaboration with Tecnológico de Monterrey and Prof. Oliver Probst.

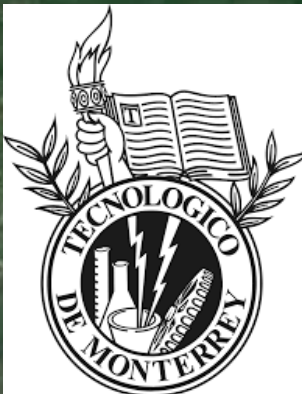
- Two years measurements of wind flow and temperature at several towers (80m) located at the upstream and downstream side of a mesa structure.

Novel dataset where forest and thermal effects may both play an important role





# Ongoing research







Thank you



*Fonds de recherche  
sur la nature  
et les technologies*

Québec

